
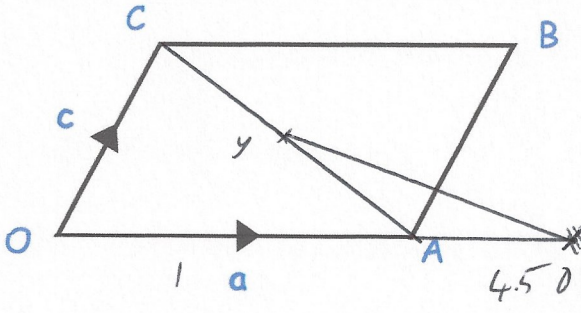


<p>19th December</p>	 <p>Corbettmaths</p>
<p>Rationalise the denominator of</p> $\frac{3 + \sqrt{2}}{\sqrt{3}} \times \frac{\sqrt{3}}{\sqrt{3}} = \frac{3\sqrt{3} + \sqrt{6}}{3} = \sqrt{3} + \frac{1}{3}\sqrt{6}$	
<p>The population of a country is <math>6.4 \times 10^6</math> <small>6400,000</small> to the nearest hundred thousand</p> <p>The area of country is <math>8.4 \times 10^4 \text{ km}^2</math> to the nearest <math>100 \text{ km}^2</math> <small>84000</small></p>	<p>Calculate the lower bound of the population density.</p> $PD_{\text{min}} = \frac{P_{\text{min}}}{A_{\text{max}}}$ $\frac{6350000}{84500} = 75.15$
 <p>OABC is a parallelogram</p> $\vec{OA} = a \quad \vec{OC} = c$ <p>Y is the midpoint of AC OAD is a straight line where OA:AD = m : 1</p>	<p>Given that</p> $\vec{CA} = -c + a$ $\vec{YA} = -\frac{1}{2}c + \frac{1}{2}a$ $\vec{YD} = 5a - \frac{1}{2}c$ <p>Find the value of m</p> $\vec{YO} = \vec{YA} + \vec{AO}$ $\vec{YO} = (-\frac{1}{2}c + \frac{1}{2}a) + \vec{AO}$ $5a - \frac{1}{2}c = (-\frac{1}{2}c + \frac{1}{2}a) + \vec{AO}$ $\vec{AO} = 4\frac{1}{2}a$ <p>1:4.5</p> $\frac{m}{1} = 1$
<p>Solve the simultaneous equations</p> $y = x^2 + x + 2$ <p>and</p> $x + 3y = 38$ $x = 38 - 3y$ $y = (38 - 3y)^2 + (38 - 3y) + 2$ $y = 1444 - 228y + 9y^2 + 38 - 3y + 2$ $y = 1484 - 231y + 9y^2$ $0 = 1484 - 232y + 9y^2$ $(y - 14)(9y - 106)$ $y = 14 \text{ or } y = \frac{106}{9}$ $x = -4 \quad x = \frac{8}{3}$	<p>Solve the simultaneous equations</p> $y = x^2 + x + 2$ $x + 3y = 38$ $x = 38 - 3y$ $y = (38 - 3y)^2 + (38 - 3y) + 2$ $y = 1444 - 228y + 9y^2 + 38 - 3y + 2$ $y = 1484 - 231y + 9y^2$ $0 = 1484 - 232y + 9y^2$ $(y - 14)(9y - 106)$ $y = 14 \text{ or } y = \frac{106}{9}$ $x = -4 \quad x = \frac{8}{3}$