


20th January	
<p>The <math>n</math>th term of a sequence is</p> $\frac{1260 - 15n}{1260 + 15n}$ <p>Work out the position of the term that has a value of zero</p>	<div style="text-align: right;"> Corbettmaths</div> $1260 - 15n = 0$ $15n = 1260$ $n = 84$
<p>Write down the limiting value of the sequence as <math>n \rightarrow \infty</math></p> $\frac{-15n}{15n} = -1$	
<p><math>f(x) = (x + 1)(x + 3)</math> for all values of <math>x</math></p> <p>Write down the range of <math>f(x)</math></p> $f(x) = x^2 + 4x + 3$ $= (x + 2)^2 - 1$	<p>minimum point is <math>(-2, -1)</math></p> $f(x) \geq -1$
<p>Find the exact values of <math>w</math></p> $3^{w^2} = 9 \times 27^{w+5}$ $3^{w^2} = 3^2 \times (3^3)^{w+5}$ $3^{w^2} = 3^2 \times 3^{3w+15}$	$w^2 = 3w + 17$ $w^2 - 3w - 17 = 0$ $a = 1 \quad b = -3 \quad c = -17$ $x = \frac{3 \pm \sqrt{9 + 68}}{2} \quad x = \frac{3 \pm \sqrt{77}}{2}$ $x = \frac{3 + \sqrt{77}}{2} \quad \text{or} \quad x = \frac{3 - \sqrt{77}}{2}$
<p>Given <math>2^{89} - 1</math> is prime.</p> <p>Show that <math>2^{89} + 1</math> is a multiple of 3</p> <p>If there are three consecutive integers, one of them is divisible by 3.</p>	$2^{89} - 1 \quad , \quad 2^{89} \quad , \quad 2^{89} + 1$ <p style="text-align: center;"> <math>\uparrow</math> prime                      <math>\uparrow</math> divisible by 2 but not 3                      <math>\uparrow</math> must be divisible by 3. </p>